















| Min # of nodes, n: | When all internal nodes have 1 key and 2 children $n = 2^{h+1}-1$ $h = \lfloor \log n \rfloor$ "perfect" binary tree |
|-----------------------|---|
| Max # of nodes, n: | When all internal nodes have 3 keys and 4 children |
| | $n = \sum_{i=0}^{h} 4^{i} = \frac{(4^{h+1}-1)}{2}$ |
| | There are 3 keys per node \rightarrow # keys = 4 ^{h+1} -1 h = $\lfloor \log_4 n \rfloor$ \rightarrow Search O(log n) |
| 5/29/2006 9:32 PM | (2,4) Trees 9 |















