## ELG4139: Oscillator Circuits

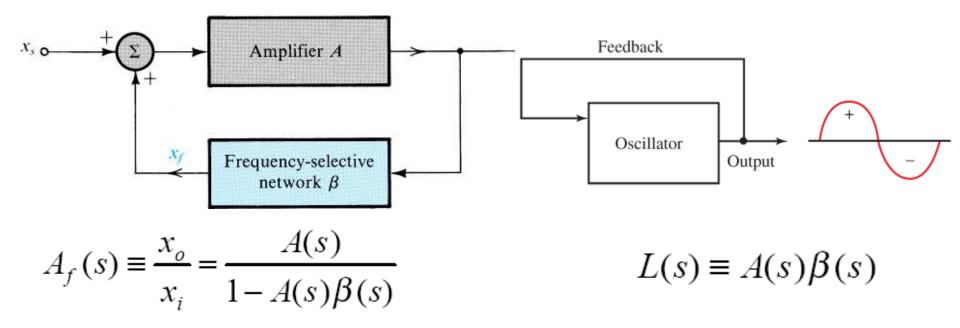
Positive Feedback Amplifiers (Oscillators) LC and Crystal Oscillators JBT; FET; and IC Based Oscillators The Active-Filter-Tuned Oscillator Multivibrators

## Introduction

- There are two different approaches for the generation of sinusoids, most commonly used for the standard waveforms:
  - Employing a positive-feedback loop that consists an amplifier and an RC or LC frequency-selective network. It generates sine waves utilizing resonance phenomena, are known as linear oscillators (circuits that generate square, triangular, pulse waveforms are called non-linear oscillators or function generators.)
  - A sine wave is obtained by appropriate shaping a triangular waveform.

### The Oscillator Feedback Loop

A basic structure of a sinusoidal oscillator consists of an amplifier and a frequencyselective network connected in a positive-feedback loop.

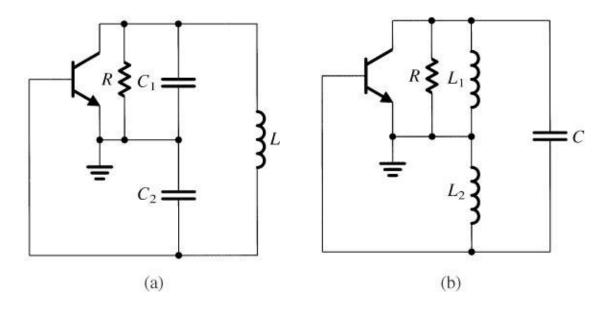


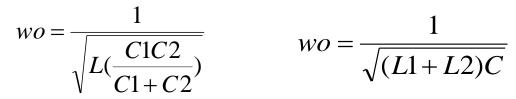
The condition for the feedback loop to provide sinusoidal oscillations of frequency  $w_0$  is

$$L(j\omega_0) \equiv A(j\omega_0)\beta(j\omega_0) = 1$$

Barkhausen Criterion:
At w<sub>o</sub> the phase of the loop gain should be zero.
At w<sub>o</sub> the magnitude of the loop gain should be unity.

## LC and Crystal Oscillators For higher frequencies (> 1MHz)

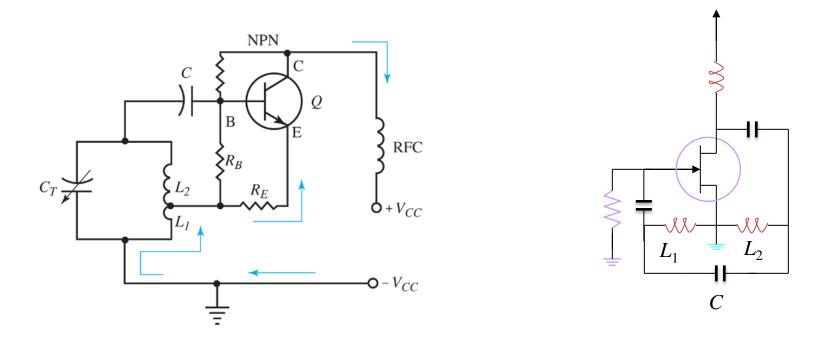




(a) Colpitts and (b) Hartley.

### Hartley Oscillator

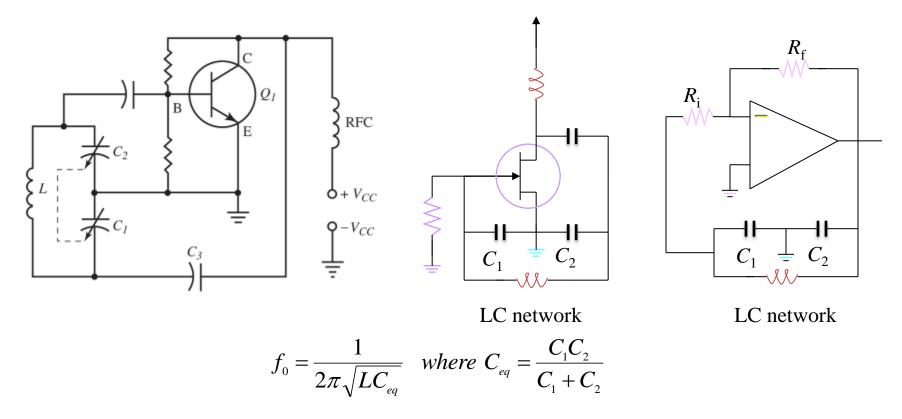
Used in radio receivers and transmitters More stable than Armstrong oscillators Radio frequency choke (RFC)



$$f_0 = \frac{1}{2\pi \sqrt{L_{eq}C}}$$
 where  $L_{eq} = L_1 + L_2 + 2M$ 

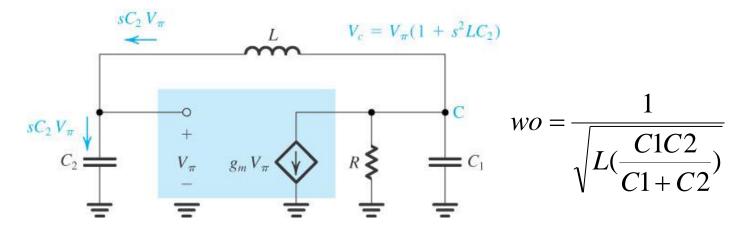
 $M = Mutual \ coupling \ between \ L_1 \& L_2$ 

### Colpitts Oscillators BJT; FET; and IC Based

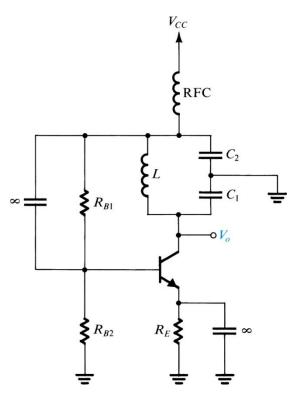


RFC is an impedance which is high (open) at high RF frequencies and low (short) to dc voltages

### Equivalent Circuit of the Colpitts Oscillator

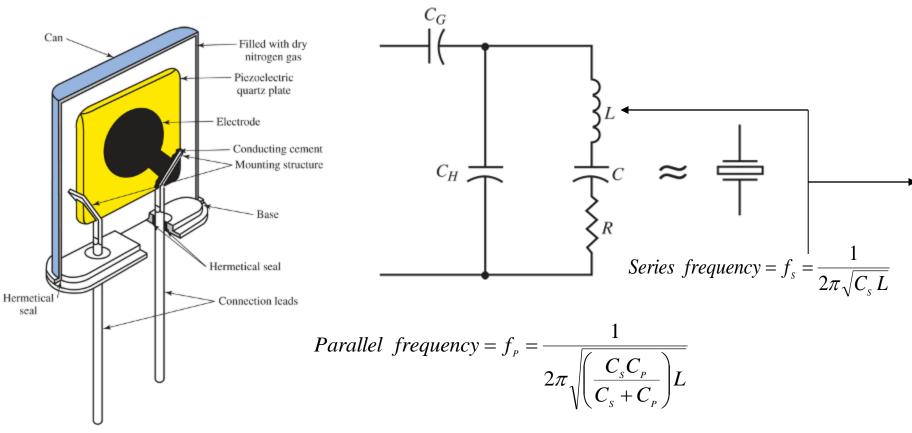


Complete Circuit for a Colpitts Oscillator



## **Crystal Oscillators**

Crystal is a piezo-electric device which converts mechanical pressure to electrical voltage or vice-vasa



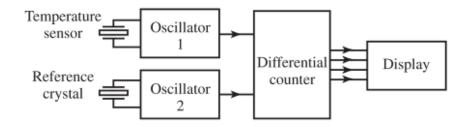
Radio communications, broadcasting stations Piezoelectric effect

Why are crystal oscillators used in many commercial transmitters?

### An Application of Crystal Oscillator

Crystals are fabricated by cutting the crude quartz in a very exacting fashion. The type of cut determines the crystal's natural resonant frequency as well as it's temperature coefficient.

Crystal are available at frequencies about 15kHz and up providing the best frequency stability. However above 100MHz, they become so small that handling becomes a problem.



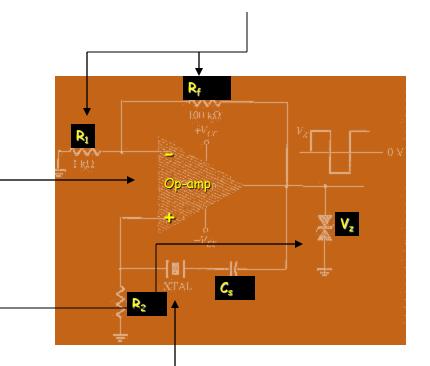
Two crystals producing two different frequencies for measuring temperature Timing devices

### **Op-Amp Crystal Oscillator**

Op-amp voltage gain is controlled by the negative feedback circuit formed by  $R_f$  and  $R_1$ . More NFB will damp the oscillation, critical NFB will have a sine wave output and less NFB will have a square wave output.

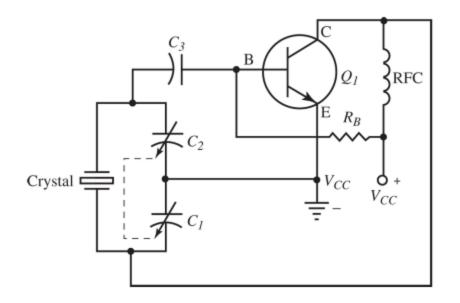
It is very flexible to construct the Op. Amp. crystal oscillator due to high amplifier gain and differential input facility of the Op. Amp.

The two Zener diodes connected face to face is to limit the peak to peak output voltage equal to twice of Zener voltage.



The crystal is fed in series to the positive feedback which is required for oscillation. Therefore the oscillation frequency will be crystal series resonant frequency  $f_s$ .

# Example



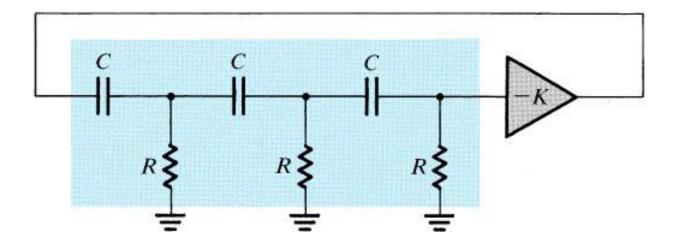
Crystal used instead of inductor in the tank circuit of Colpitts oscillator

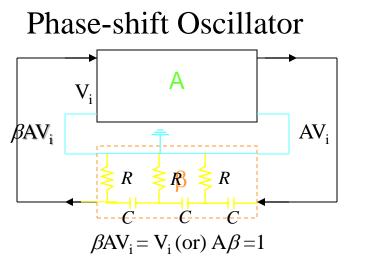
## The Phase Shifter Oscillator

The phase-shifter consists of a negative gain amplifier (-K) with a third order RC ladder network in the feedback.

The circuit will oscillate at the frequency for which the phase shift of the RC network is 180°. Only at the frequency will the total phase shift around the loop be 0° or 360°.

The minimum number of RC sections is 3 because it is capable of producing a 180° phase shift at a finite frequency.

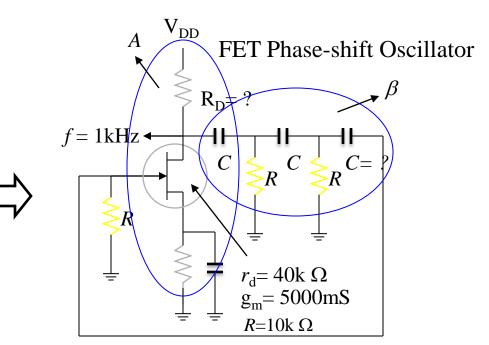




Frequency of oscillation  $f = \frac{1}{2\pi RC\sqrt{6}}$ 

Condition of oscillation

$$\beta \leq \frac{1}{29} \quad \begin{array}{c} A\beta = 1 \\ \therefore A \geq 29 \end{array}$$



#### **Example:**

Determine the value of capacitance *C* and the value of  $R_{\rm D}$  of the Phase-shift oscillator shown, if the output frequency is 1 kHz. Take  $r_d = 40$ k and  $g_m$ =5000mS, for the FET and R = 10kW.

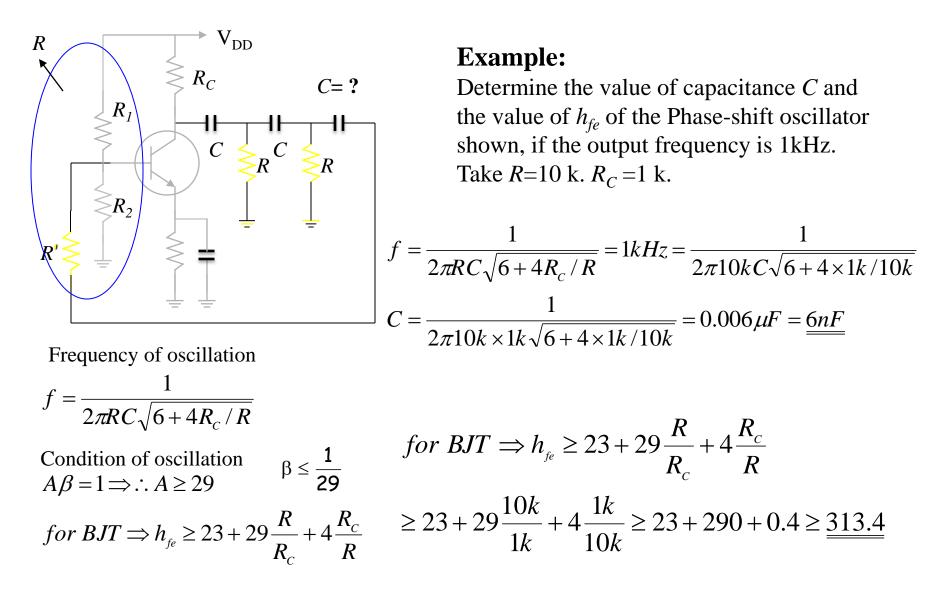
40k - 8k

$$f = \frac{1}{2\pi RC\sqrt{6}} \Longrightarrow C = \frac{1}{2\pi Rf\sqrt{6}} = \frac{1}{2\pi 10k \times 1k\sqrt{6}} = \underline{6.5nF}$$

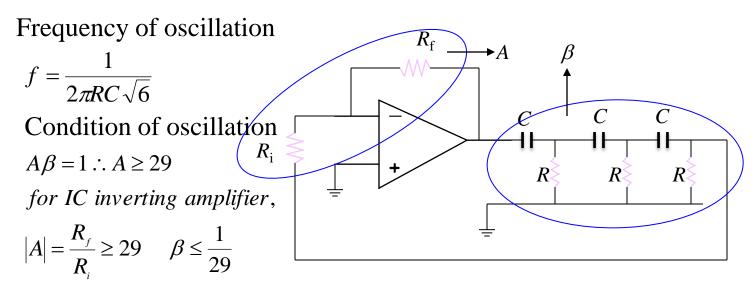
$$A\beta \ge 1 \text{ Let } A = 40 > 29 \therefore |A| = g_m R_L = 40 \Longrightarrow R_L = \frac{40}{g_m} = \frac{40}{5000\mu S} = 8k\Omega$$

$$But R_L = R_D // r_d = R_D // 40k\Omega = 8k\Omega \therefore R_D = \frac{8k \times 40k}{40k} = \underline{10k\Omega}$$

### **BJT Phase-Shift Oscillator**



### IC Phase-shift Oscillator



#### **Example:**

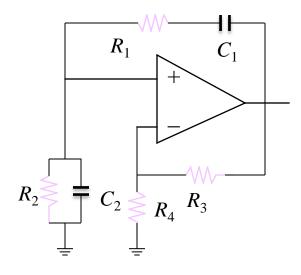
Determine the value of capacitance *C* and the value of  $R_f$  of the IC Phase-shift oscillator shown, if the output frequency is 1kHz. Take R = 10kW.  $R_i = 1$ kW.

$$f = \frac{1}{2\pi RC\sqrt{6}} \Longrightarrow C = \frac{1}{2\pi Rf\sqrt{6}} = \frac{1}{2\pi 10k \times 1k\sqrt{6}} = \underline{6.5nF}$$

for IC inverting amplifier,

$$|A| = \frac{R_f}{R_i} \ge 29 \Longrightarrow R_f \ge 29R_i \ge \underline{29k\Omega}$$

### Wien Bridge Oscillator



Frequency of oscillation  $f = \frac{1}{2\pi\sqrt{R_1C_1R_2C_2}} \qquad f = \frac{1}{2\pi RC} \begin{pmatrix} if \ R_1 = R_2 = R \\ C_1 = C_2 = C \end{pmatrix}$ Condition of oscillation  $\frac{R_3}{R_4} = \frac{R_1}{R_2} + \frac{C_2}{C_1} \qquad \qquad \frac{R_3}{R_4} = 2 \begin{pmatrix} if \ R_1 = R_2 = R \\ C_1 = C_2 = C \end{pmatrix}$ 

**Example:** Determine the value of capacitance  $C_1$  and  $R_1$  if  $R_2 = 10$ kW  $C_2 = 0.1$ mF  $R_3 = 10$ k $\Omega R_4 = 1$ kW in the Wien bridge oscillator shown has an output frequency of 1kHz.

$$f = \frac{1}{2\pi\sqrt{R_1C_1R_2C_2}} \Longrightarrow f^2 = \frac{1}{4\pi^2 R_1C_1R_2C_2} \quad \text{Frequency of oscillation}$$

$$R_1C_1 = \frac{1}{4\pi^2 f^2 R_2C_2} = \frac{1}{4\pi^2 (1k)^2 10k \times 0.1\mu} = 0.025 \text{ms} \Longrightarrow C_1 = \frac{0.025 \text{ms}}{R_1}$$

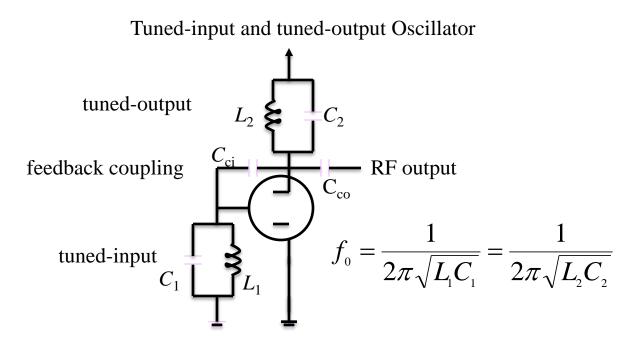
$$\frac{R_3}{R_4} = \frac{R_1}{R_2} + \frac{C_2}{C_1} \Longrightarrow \frac{10k}{1k} = \frac{R_1}{10k} + \frac{0.1\mu F}{0.025 \text{ms}} \Longrightarrow \frac{R_1}{10k} = 10 - \frac{0.1}{25} = 9.996$$

$$R_1 = 9.996 \times 10k = 99.96k \approx \underline{100k\Omega}$$

$$C_1 = \frac{0.025 \text{ms}}{100k} = 0.00025 \mu = \underline{250 \text{ pF}} \qquad \text{Condition of oscillation}$$

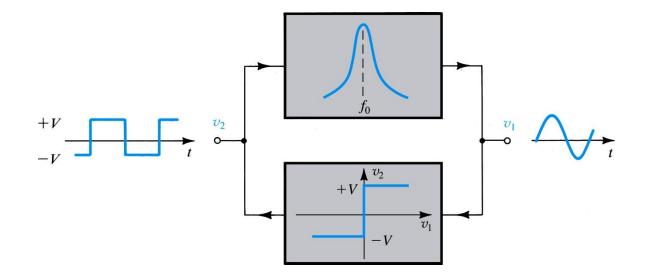
# Tuned Oscillators (Radio Frequency Oscillators)

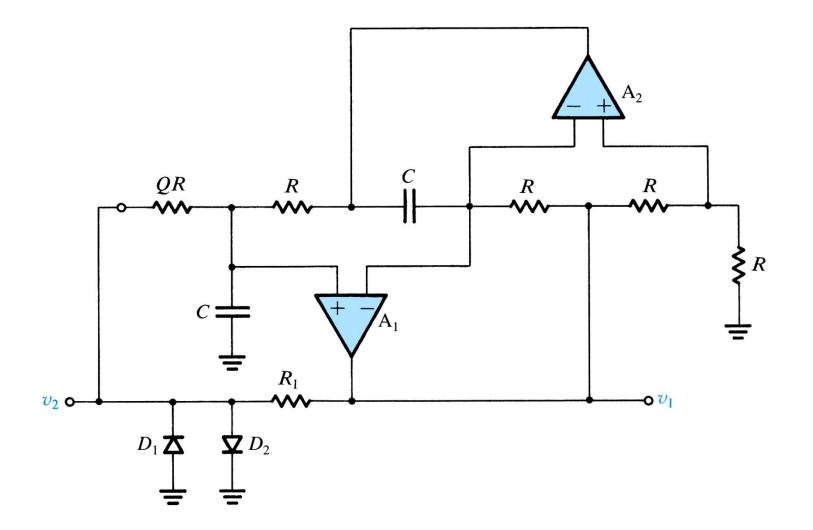
Tuned oscillator is a circuit that generates a radio frequency output by using LC tuned (resonant) circuit. Because of high frequencies, small inductance can be used for the radio frequency of oscillation.



## The Active-Filter-Tuned Oscillator

Assume the oscillations have already started. The output of the band-pass filter will be a sine wave whose frequency is equal to the center frequency of the filter. The sine-wave signal is fed to the limiter and then produces a square wave.



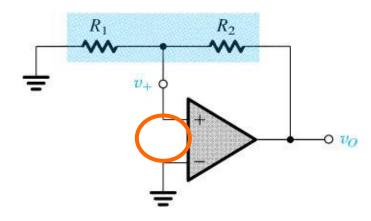


Practical implementation of the active-filter-tuned oscillator

## **Bistable Multivibrators**

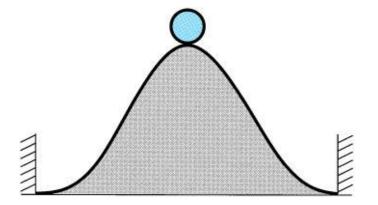
Another type of waveform generating circuits is the nonlinear oscillators or function generators which uses multivibrators.

A bistable multivibrator has 2 stable states. The circuit can remain in either state indefinitely and changes to the other one only when triggered.



Metastable state:  $v_+=0$  and  $v_0=0$ . The circuit cannot exist in the mestastable state for any length of time since any disturbance causes it to switch to either stable state.

$$v_o = L_+ \text{ and } v_+ = L_+ R_1 / (R_1 + R_2).$$
  
 $v_o = L_- \text{ and } v_+ = L_- R_1 / (R_1 + R_2).$ 



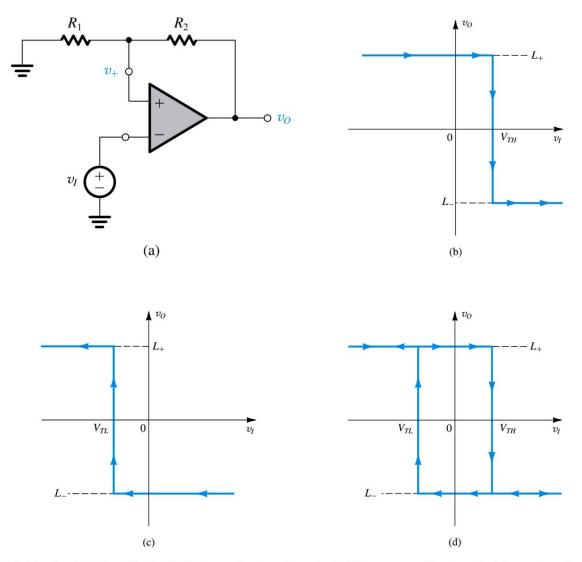


Figure 12.19 (a) The bistable circuit of Fig. 12.17 with the negative input terminal of the op amp disconnected from ground and connected to an input signal  $v_{l}$ . (b) The transfer characteristic of the circuit in (a) for increasing  $v_{l}$ . (c) The transfer characteristic for decreasing  $v_{l}$ . (d) The complete transfer characteristics.

### Bistable Circuit with Inverting Transfer Characteristics

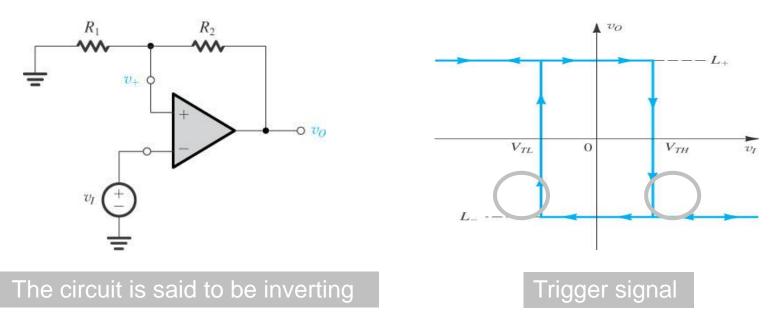
Assume that  $v_0$  is at one of its two possible levels, say  $L_+$ , and thus  $v_+ = \beta L_+$ .

• As  $v_I$  increases from 0 and then exceeds  $\beta L_+$ , a negative voltage developes between input terminals of the op amp.

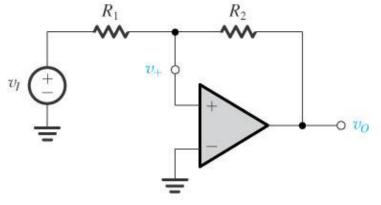
**2** This voltage is amplified and  $v_0$  goes negative.

**③** The voltage divider causes  $v_+$  to go negative, increasing the net negative input and keeping the regenerative process going.

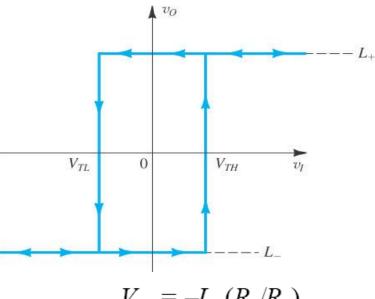
• This process culminates in the op amp saturating, that is,  $v_0 = L_{-}$ .



**Bistable Circuit with Noninverting Transfer Characteristics** 

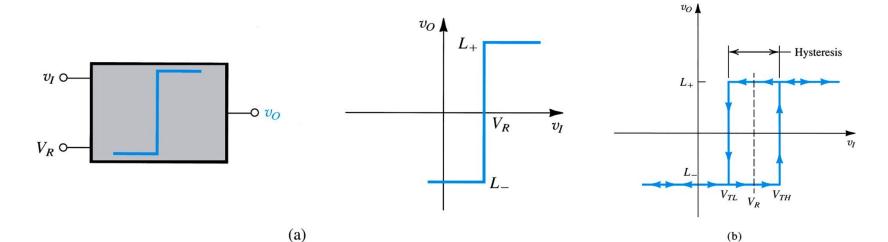


 $v_{+} = v_{I}R_{2}/(R_{1}+R_{2}) + v_{O}R_{I}/(R_{1}+R_{2})$ 



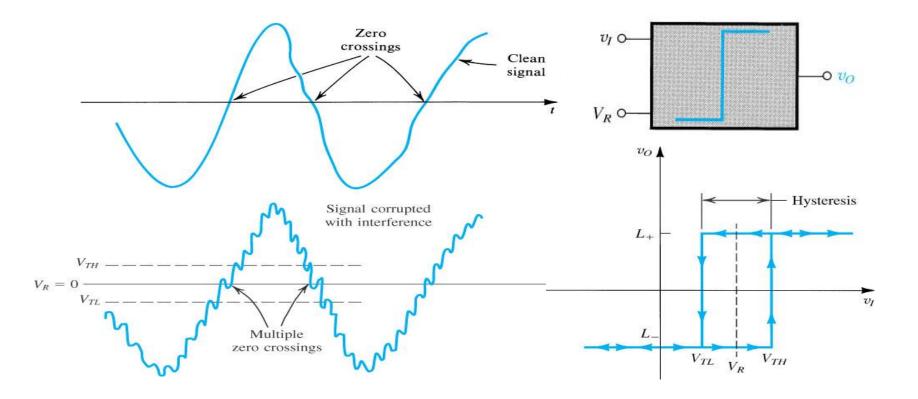
$$V_{TL} = -L_+(R_1/R_2)$$

$$V_{TH} = -L_{R_1}/R_2$$



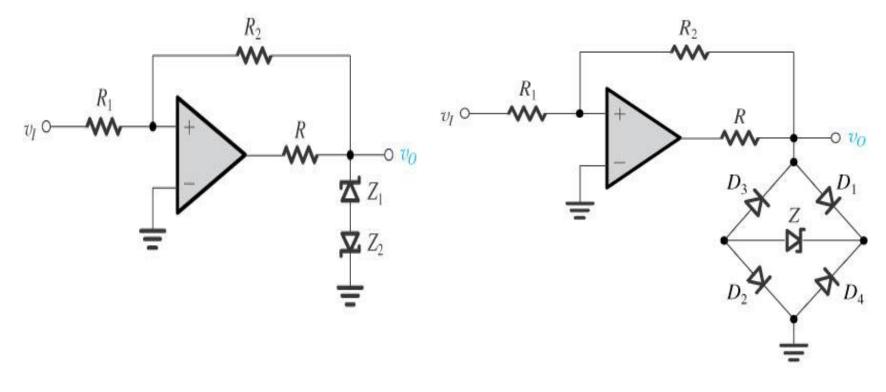
### Application of the Bistable Circuit as a Comparator

To design a circuit that detects and counts the zero crossings of an arbitrary waveform, a comparator whose threshold is set to 0 can be used. The comparator provides a step change at its output every time zero crossing occurs.



### Bistable Circuit with More Precise Output Level

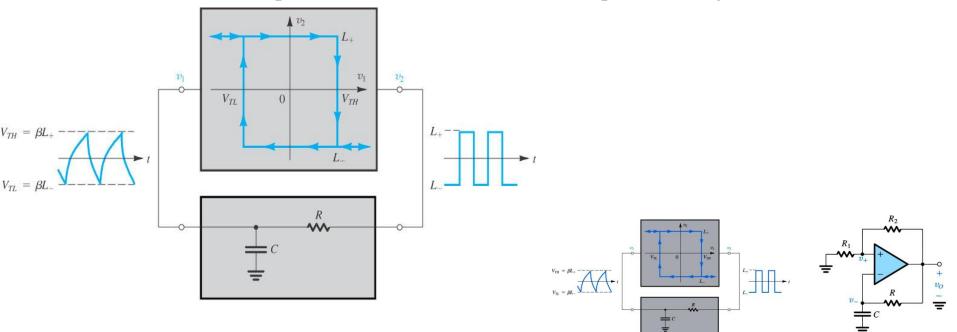
Limiter circuits are used to obtain more precise output levels for the bistable circuit.

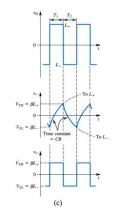


 $L+=V_{Z1}+V_D$  and  $L-=-(V_{Z2}+V_D)$ , where  $V_D$  is the forward diode drop.  $L + = V_Z + V_{D1} + V_{D2}$  and  $L - = -(V_Z + V_{D3} + V_{D4})$ .

### Operation of the Astable Multivibrator

Connecting a bistable multivibrator with inverting transfer characteristics in a feedback loop with an RC circuit results in a square-wave generator.

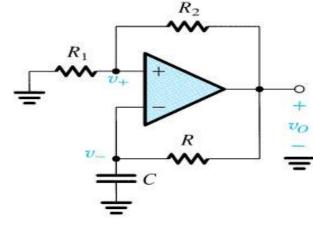


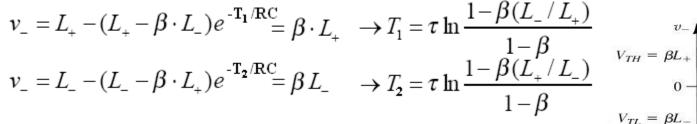


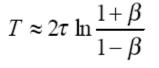
(b)

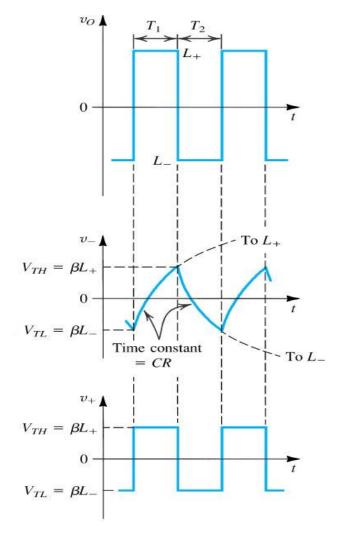
(a)

### Operation of the Astable Multivibrator



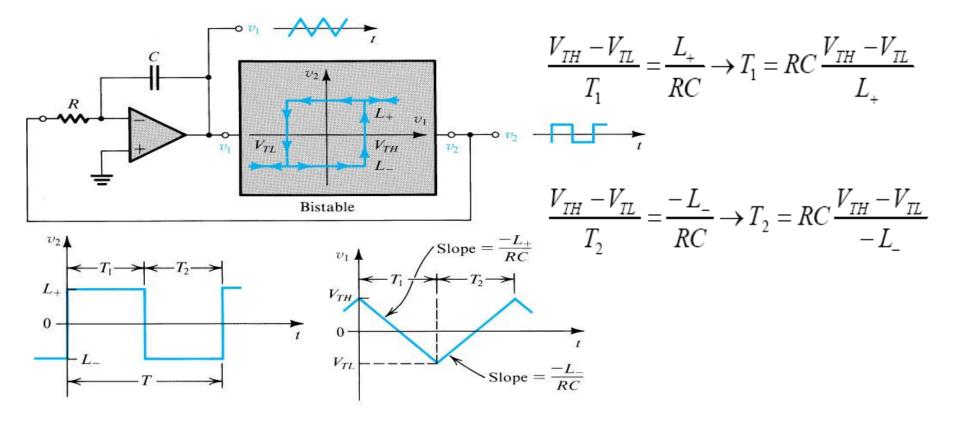






### Generation of Triangular Waveforms

Triangular waveforms can be obtained by replacing the low-pass RC circuit with an integrator. Since the integrator is inverting, the inverting characteristics of the bistable circuit is required.



### Generation of a Standard Pulse

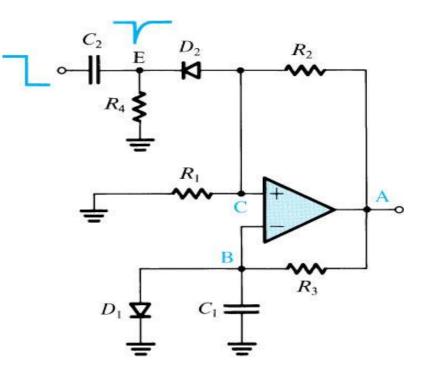
In the stable state,  $V_A = L + (why?)$ ,  $V_B = V_{D1}$ ,  $V_C = \beta L + (D2: ON and R4 >> R1)$ . When a negative-going step applies at the trigger input:

- **1** D2 conducts heavily and pulls node C down (lower than  $V_B$ ).
- **2** The output of the op amp switch to L- and cause  $V_C$  to go toward  $\beta$ L-.

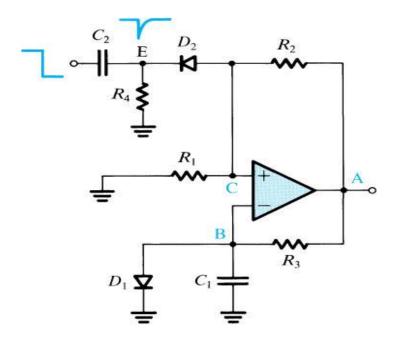
**3** D2 OFF and isolates the circuit from changes at the trigger input.

**4** D1 OFF and C1 begins to discharge toward L-.

**S** When  $V_B < V_C$ , the output of the op amp switch to L+.



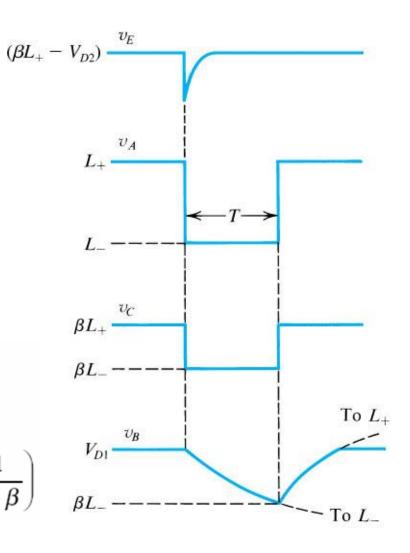
### Generation of a Standard Pulse



$$v_{B}(t) = L_{-} - (L_{-} - V_{D1})e^{-t/R_{3}C_{1}}$$

$$v_{B}(T) = L_{-} - (L_{-} - V_{D1})e^{-T/R_{3}C_{1}} = \beta \cdot L_{-}$$

$$\rightarrow T \approx C_{1}R_{3}\ln\left(\frac{V_{D1} - L_{-}}{\beta \cdot L_{-} - L_{-}}\right) \approx C_{1}R_{3}\ln\left(\frac{1}{1 - \beta}\right)$$



## The 555 Circuit

Commercially available integrated-circuit package such as 555 timer exists that contain the bulk of the circuitry needed to implement monostable and astable multivibrator.

