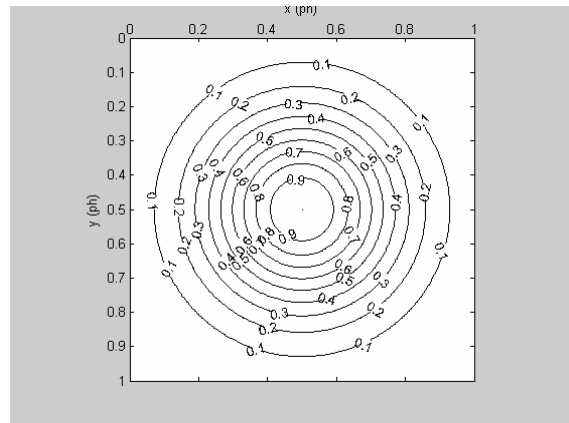
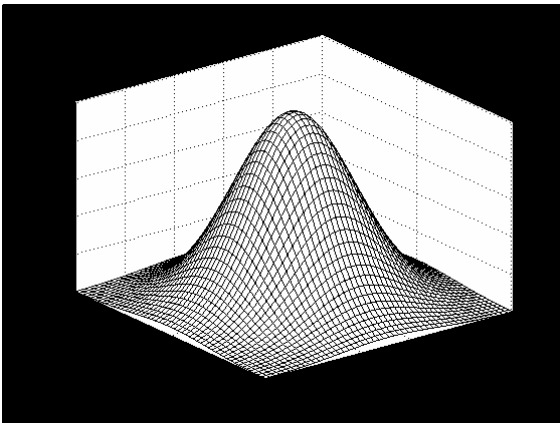


# Plotting 2D Functions

Two-dimensional Gaussian function, centred at  $(0.5, 0.5)$  and with  $r = 0.2$

$$f(x, y) = \exp[-((x - 0.5)^2 + (y - 0.5)^2) / 2(0.2)^2]$$

Plot perspective and contour plots of  $f(x, y)$  for  $0 \leq x, y \leq 1$



### Perspective Plot

```
x=0:.02:1; y=x;          %x and y values between 0 and +1 spaced by 0.02
                           %(51 values)

r = 0.2;                  %set the r parameter

[X,Y]=meshgrid(x,y); % generate a 2D grid of xy values (51 by 51
                     %arrays) X(i,j) = x(j) and Y(i,j) = y(i)

Z=exp(-(X-0.5).^2+(Y-0.5).^2)/(2*r^2)); % generate the Gaussian
                                         %function on the grid

mesh(X,Y,Z)               % generate the perspective plot

colormap([0 0 0]);        % use black only
xlabel('x (ph)'), ylabel('y (ph)');
set(gca,'ydir','reverse');
```

### Contour plot

```
x=0:.005:1; y=x;          %x and y values between 0 and +1 spaced by 0.005

r = 0.2;

[X,Y]=meshgrid(x,y); %generate a 2D grid of xy values

Z=exp(-(X-0.5).^2+(Y-0.5).^2)/(2*r^2)); % generate the Gaussian
                                         %function on the grid

v=0:.1:1.;                % contours will be from 0 to 1 in steps of 0.1
[C,h]=contour(X,Y,Z,v); % generate the contour plot, including values
                        %to label contours
axis square              %make the plot square
clabel(C,h)              %label the contours
xlabel('x (ph)'), ylabel('y (ph)');
set(gca,'ydir','reverse');
set(gca,'XAxisLocation','top'); %Xaxis labels on top
colormap([0 0 0]);        % use black only
```

## **Your task:**

Plot contour and perspective plots of the following function:

$$\begin{aligned} f(x, y) = & \exp[-((x - .35)^2 + (y + .35)^2) / 2r_1^2] \\ & + \exp[-((x + .2)^2 + (y - .2)^2) / 2r_1^2] \\ & - \exp[-((x - .35)^2 + (y + .35)^2) / 2r_2^2] \\ & - \exp[-((x + .2)^2 + (y - .2)^2) / 2r_2^2] \end{aligned}$$

for  $-1 \leq x \leq 1$  and  $-1 \leq y \leq 1$  with a spacing of 0.04, and with  $r_1 = 0.25$  and  $r_2 = 0.1$

View the perspective plot from different points of view.